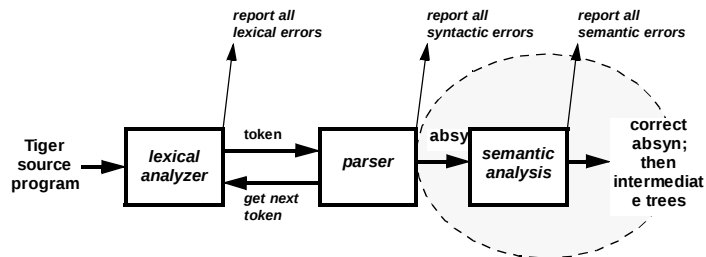


Tiger Semantic Analysis



- construct variable definitions to their uses
- checks that each expression has a correct type
- translates the abstract syntax into a simpler intermediate representation suitable for generating machine code.

Connecting Definition and Use ?

- Make sure **each variable is defined**; Check the **type consistency** !

```

.....
function f(v : int) =
  let var v := 6
  function g(x : int) =
    (print (x+v); print "\n")

  function h(v : int) =
    (print v; print "\n")

  in g v;
  let var v := 8 in print v end;
  h v;
end

```

- **Solution:** use a **symbol table** --- traverse the **abstract syntax tree** in certain order while maintaining a "(variable -> type)" symbol table.

Symbol Tables

- Conceptually, a **symbol table** (also called **environment**) is a set of "(name, attribute)" pairs.
- **Typical Names:** strings, e.g., "foo", "do_nothing1", ...
- **Typical Attributes** (also called **bindings**):

type identifier	type (e.g., int, string)
variable identifier	type; access info. or value
function identifier	arg. & result type; access info. or ...
- **Main Issues** --- for a symbol table *T*
 - Given an identifier name, how to look up its attribute in *T* ?
 - How to insert or delete a pair of new "(*id*, *attr*)" into the table *T* ?

Efficiency is important !!!

Symbol Tables (cont'd)

- How to deal with **visibility** (i.e., lexical scoping under nested block structure) ?

<pre> v1 v2 function f(v : int) = let var v := 6 [function g(x : int) = (print (x+v); ...) function h(v : int) = (print v; ...)] in g v; [let var v := 8 in print v] end; h v; end </pre>	Initial Table T <pre> insert v1; insert v2; lookup sees v2 insert v3; lookup sees v3 MUST delete v3; lookup sees v2 insert v4; lookup sees v4 MUST delete v4; lookup sees v2 MUST delete v2; </pre>
---	---

Symbol Table Impl.

- **Hash Table** --- efficient, but need explicit “delete” due to side-effects !

Initial Table T

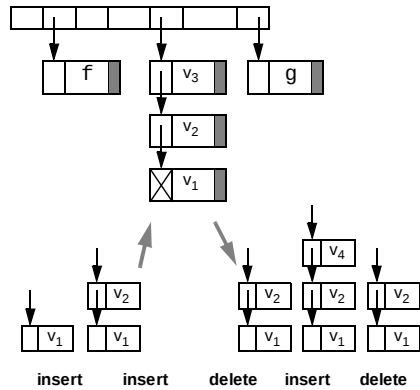
```
insert v1;
insert v2;
```

lookup sees v_2

```
insert v3;
lookup sees v3
MUST delete v3;
lookup sees v2
```

```
insert v4;
lookup sees v4
MUST delete v4;
```

```
lookup sees v2
MUST delete v2;
```



Symbol Table Impl. (cont'd)

- **Balanced Binary-Tree** ---- “persistent”, “functional”, yet “efficient”

Initial Table T_0

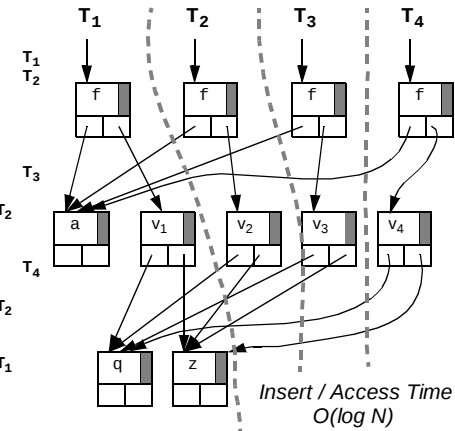
```
insert v1;
insert v2;
```

lookup sees v_2

```
insert v3;
lookup sees v3
(* delete v3; *) use T2
lookup sees v2
```

```
insert v4;
lookup sees v4
(* delete v4; *) use T2
```

```
lookup sees v2
(* delete v2; *) use T1
```



Insert / Access Time
 $O(\log N)$

Summary: Symbol Table Impl.

- Using **hash-table** is ok but explicit “delete” is a **big headache** !
- We prefer the **functional** approach --- using persistent balanced binary tree --- no need to explicit “delete” ; access and insertion time $O(\log N)$
- The **Symbol** signature (symbol table is an abstract datatype --- used to hide the implementation details)

```
signature SYMBOL =
sig
  eqtype symbol
  val symbol : string -> symbol
  val name : symbol -> string

  type 'a table
  val empty : 'a table
  val enter : 'a table * symbol * 'a -> 'a table
  val look : 'a table * symbol -> 'a option
end
```

No “delete” because we use “functional” approach!

String <==> Symbol

- Using **string** as the search key is slow --- involves a string comparison
- Associate each **string** with a **integer** --- which is used as the key for all access to the symbol table (i.e., binary tree)

```
type symbol = string * int
```

```
exception Symbol
val nextsym = ref 0
```

```
structure H = ... a HashTable from STRING to INTEGER ...
```

```
fun symbol name =
  case H.find hashtable name
  of SOME i => (name, i)
   | NONE => let val i = !nextsym
              in inc nextsym;
                H.insert hashtable (name,i);
                (name,i)
            end
```

```
fun name(s,n) = s
```

Summary: Symbol Table

- A **symbol** is a pair of string and integer (s, n) where the string s is the identifier name, the integer n is its associated search key.
- The **mapping** from a string to its corresponding search key (a integer) is implemented using a hash table.
- The **symbol table** --- from a symbol to its attributes --- is implemented using IntBinaryMap --- a **persistent balanced binary tree**.

```
structure Symbol :> SYMBOL = (* see Appel page 110 *)
struct
  type symbol = string * int
  .....
  type 'a table = 'a IntBinaryMap.intmap (* in SML Library *)

  val empty = IntBinaryMap.empty
  fun enter(t, (s,n), a) = IntBinaryMap.insert(t,n,a)
  fun look(t, (s,n)) = IntBinaryMap.look(t,n)
end
```

Environments

- **Bindings** ---- interesting attributes associated with type, variable, or function identifiers during compilations.

- **Type bindings** --- internal representation of types

```
structure Types =
struct
  type unique = unit ref

  datatype ty
    = INT
    | STRING
    | RECORD of (Symbol.symbol * ty) list * unique
    | ARRAY of ty * unique
    | NIL
    | UNIT
    | NAME of Symbol.symbol * ty option ref
end
```

- **Variable/Function Bindings** --- type + location & access information

Environments (cont'd)

- The signature for Environment

```
signature Env =
struct
  type access
  type level
  type label
  type ty (* = Type.ty *)

  datatype enventry
    = VEntry of {access : access, ty : ty}
    | FEntry of {level : level, label : label,
                 formals : ty list, result : ty}

  val base_tenv : ty Symbol.table
  val base_env : enventry Symbol.table
end
```

Normally we build one environment for each name space !

base_tenv is the initial type environment
base_env is the initial variable+function environment

Tiger Absyn

```
datatype 'a option = NONE | SOME of 'a

datatype var = ...
and exp
  = ...
  | OpExp of {left: exp, oper: oper, right: exp, ...}
  | LetExp of {decs: dec list, body: exp, ...}

and dec
  = FunctionDec of fundec list
  | TypeDec of tydec list
  | VarDec of vardec

withtype
  field = {name: symbol, typ: symbol, pos: pos}

and fundec = {name: symbol, params: field list,
              result : (symbol * pos) option,
              body: exp, pos: pos}
```

Type-Checking Expressions

```

type tenv = Types.ty Symbol.table
type env = enventry Symbol.table

(* transexp : env * tenv -> exp -> ty *)
fun transexp (env,tenv) =
  let fun g(OpExp{left,oper=A.plusOp,right,pos}) =
        (checkInt(g left, pos);
         checkInt(g right, pos);
         Types.INT)
      | g(LetExp{decs, body, pos}) =
        let val (env',tenv') =
            transdecs (env,tenv) decs
        in transexp (env',tenv') body
        end
      | ....
  in g
  end

```

Type-Checking Declarations

```

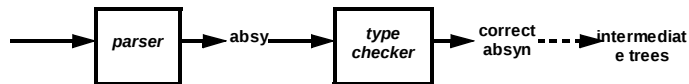
(* transdec : env * tenv -> dec -> env * tenv *)
fun transdec (env,tenv) =
  let fun g(VarDec{var,typ=NONE,init}) =
        let val ty = transexp (env,tenv) init
            val b = VAREntry{access=(),ty=ty}
        in (enter(env,var,b), tenv)
        end
      | g(FunctionDec[{name,params,body,pos,result=_}]) =
        let val b = FUNEntry{...}
            val env' = enter(env,name,b)
            val env'' = enterparams(params,env')
        in transexp (env'',tenv) body;
            (env', tenv)
        end
      | g ...
  in g
  end

(* transdecs : env * tenv -> dec list -> env * tenv *)
fun transdecs (env, tenv) [] = (env,tenv)
  | transdecs (env, tenv) (a::r) =
    let val (env', tenv') = transdec (env, tenv) a
    in transdecs (env', tenv') r
    end

```

Type-Checking

- The **type** of an expression tells us the values it can denote and the operations that can be applied to it.
- **Type system** --- definition of well-formed types + a set of **typing rules** that define what type-consistency means.
- **Type-checking** ensures that the operations in a program are applied properly. A program that executes without type errors is said to be **type safe**.
- **Static** Type-checking : type are checked at compile time. (once and for all)



- **Dynamic** Type-checking : types are checked at run time. (inside the code)

Type Safety

- Modern programming languages are always equipped with a **strong type system** ----- meaning a program will either run successfully, or the compiler & the runtime system will report the type error.
 - strongly-typed languages: Modula-3, Scheme, ML, Haskell
 - weakly-typed languages: C, C++
- **Safety** ---- a language feature is **unsafe** if its misuse can corrupt the runtime system so that further execution of the program is not faithful to the language semantics. (e.g., no array bounds checking, ...)
- A **statically-typed** language (e.g., ML, Haskell) does most of its type-checking at compile time (except array-bounds checking).
- A **dynamically-typed** language (e.g., Scheme, Lisp) does most of its type-checking at run time.

Main Issues

- **What are valid type expressions ?**

e.g., int, string, unit, nil, array of int, record {...

- **How to define two types are equivalent ?**

name equivalence or structure equivalence

- **What are the typing rules ?**

- **How much type info should be specified in the source program?**

implicitly-typed lang., e.g., ML ----- uses type inference

explicitly-typed lang. e.g., Tiger, Modula-3 ----- must specify the type of each newly-introduced variables.

Types in Tiger

Tiger types are `ty -> type-id | array of type-id | {}`
`| {id : type-id {,id : type-id}}`

type-id is defined by type declarations:

`tydec -> type type-id = ty`

Typechecker must translate all source-level type specification (in absyn) into the following internal type representation:

```
structure Types =
struct
  type unique = unit ref

  datatype ty
  = RECORD of (Symbol.symbol * ty) list * unique
  | NIL
  | INT
  | STRING
  | ARRAY of ty * unique
  | NAME of Symbol.symbol * ty option ref
  | UNIT

  use to implement Name
  for recursive type
end
```

Type Equivalence

When are two type expressions equivalent ?

- **Name equivalence (NE)** : T_1 and T_2 are equivalent iff T_1 and T_2 are identical type names defined by the exact same type declaration.
- **Structure equivalence (SE)** : T_1 and T_2 are equivalent iff T_1 and T_2 are composed of the same constructors applied in the same order.

Here point and ptr are equivalent under SE but not equivalent under NE

```
type point = {x : int, y : int}
type ptr = {x : int, y : int}
function f(a : point) = a
```

Here the redeclaration of point defines a new type under NE; thus it is a type error when function f is applied to p

```
type point = {x : int, y : int}
var p : point = point {x=3, y=5}
var q : point = f(p)
```

Typing Rules in Tiger

- Tiger uses **name equivalence**; type constraints must be a **type-id** (used on variable declarations, function parameters and results, array elements, and record fields)
- The expression **nil** has the special type **NIL**. **NIL** belongs to every record type ---- it is equivalent to any record type. **nil** must be used in a context where its type can be determined.

```
var p : point := nil      OK
if p <> nil then ...      OK
var a := nil              Illegal
```

- For variable declaration: `var id : type-id := exp` the type of expression `exp` must be equivalent to type `type-id`.
- Assignment expression `id := exp` --- `id` & `exp` have equivalent type.

Typing Rules in Tiger (cont'd)

- *Function call:* the types of formal parameters must be equivalent to the types of actual arguments.
- *Array subscript* must have integer type.
- *Array creation* `type-id [exp1] of exp2` `exp1` has type `int`, `exp2` must have type equivalent to that of the element of `type-id`
- *Record creation* `type-id {id = exp1, ...}` the type of each field (`expi`) must have type equivalent to that defined in `type-id`
- *If-expression* `if exp1 then exp2 else exp3` the type of `exp1` must be integer, the type of `exp2` and `exp3` should be equivalent.
- *For-expression* `for id := exp1 to exp2 do exp3` the type of `exp1` and `exp2` must be integer. `exp3` should produce no value ...
- For more info, read **Appendix in Appel**.

Recursive Type Declarations

- How to convert the following declaration into the internal type representations ?

```
type list = {first : int, rest : list}
```

Problem: when we do the conversion of the r.h.s., “list” is not defined in the `tenv` yet.

Solution: use the special **Name** type

```
datatype ty = NAME of Symbol.symbol * ty option ref
           | .....
```

First, enter a “header” type for `list`
`val tenv' = enter(tenv, name, NAME(name, ref NONE))`

Then, we process the body (i.e., r.h.s) of the type declarations, and assign the result into the reference cell in the **NAME** type

Recursive Function Declarations

- **Problem:** when we process the right hand side of function declarations, we may encounter symbols that are not defined in the `env` yet

```
function do_nothing1(a: int, b: string)= do_nothing2(a+1)
function do_nothing2(d: int) = do_nothing1(d, “str”)
```

- **Solution:** first put all function names (on the l.h.s.) with their header information (e.g., parameter list, function name, type, etc., all can be figured out easily) into the `env` ----- then process each function's body in this augmented `env`.

Other Semantic Check

Many other things can be done in the type-checking phase:

- resolve overloading operators
- type inference
- check if all identifiers are defined
- check correct nesting of **break** statements .

Comming soon ---

Assignment 5 is to write the type-checker.